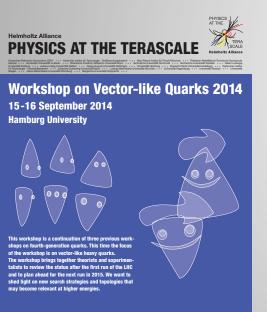




Higgs Physics & Extra-Fermions



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Based on arXiv:1210.3977

and arXiv:1206.3360 with N. Bonne

DESY / Hamburg University

- 16/09/2014 -

Outline

- A Higgs fits with generic Extra-Fermions (EF)
 - I) Generic Higgs fits
- II) Constraining single EF

- **B VL quarks to increase Higgs diphoton rates**
- I) Minimal realistic models of VL quarks
- II) Numerical results for the Higgs fits

A – Higgs fits with generic Extra-Fermions

I) Generic Higgs fits

Today: The LHC has **discovered** a resonance of ~ 125 GeV

it is probably the B.E.Higgs boson => **EWSB** mechanism

- + Tevatron and LHC provide ~ 60 measurements of the Higgs rates
 - = new precious source of indirect information on BSM physics
 - → nature/origin of the EWSB : within the SM or BSM context !?

On the theoretical side:

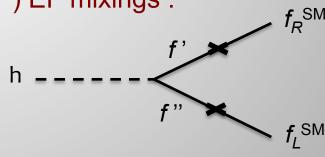
New fermions arise in most (all?) of the SM extensions,

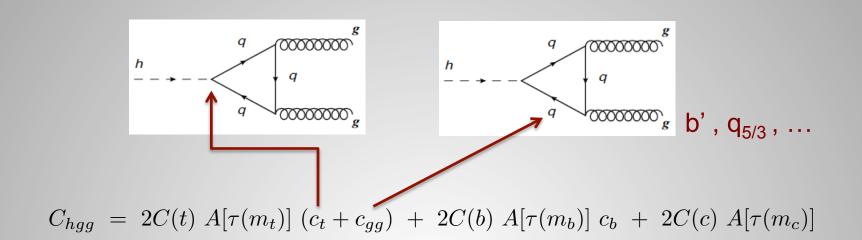
- little Higgs [fermionic partners]
- supersymmetry [gauginos / higgsinos]
- composite Higgs [excited bounded states]
- extra-dimensions [Kaluza-Klein towers]
- 4th generations [new families]
- G.U.Theories [multiplet components]
- etc...
- What are the present constraints on GENERIC Extra-Fermions imposed by all the experimental results in the Higgs sector?

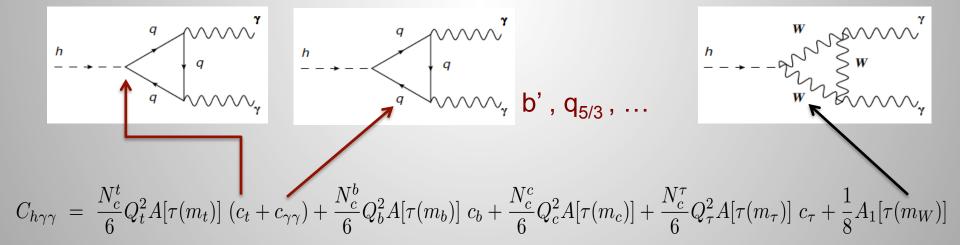
Effective approach: Corrections on the Higgs couplings from **ANY** extra-fermions (via mixing, new loops)

$$\mathcal{L}_{h} = -c_{t}Y_{t} h \bar{t}_{L} t_{R} - c_{b}Y_{b} h \bar{b}_{L} b_{R} - c_{\tau}Y_{\tau} h \bar{\tau}_{L} \tau_{R} + C_{h\gamma\gamma} \frac{\alpha}{\pi v} h F^{\mu\nu}F_{\mu\nu} + C_{hgg} \frac{\alpha_{s}}{12\pi v} h G^{a\mu\nu}G^{a}_{\mu\nu} + \text{h.c.}$$

Modifications of Y_f Yukawa couplings via (f') EF mixings:







Higgs production cross sections over their SM expectations:

$$\frac{\sigma_{\text{gg}\to h}}{\sigma_{\text{gg}\to h}^{\text{SM}}} \simeq \frac{\left| (c_t + c_{gg}) A[\tau(m_t)] + c_b A[\tau(m_b)] + A[\tau(m_c)] \right|^2}{\left| A[\tau(m_t)] + A[\tau(m_b)] + A[\tau(m_c)] \right|^2} \qquad \frac{\sigma_{\text{h\bar{t}t}}}{\sigma_{\text{h\bar{t}t}}^{\text{SM}}} \simeq |c_t|^2$$

Higgs partial decay widths over the SM predictions (no new channels):

$$\frac{\Gamma_{\text{h}\to\gamma\gamma}}{\Gamma_{\text{h}\to\gamma\gamma}^{\text{SM}}} \simeq \frac{\left|\frac{1}{4}A_1[\tau(m_W)] + (\frac{2}{3})^2(c_t + c_{\gamma\gamma})A[\tau(m_t)] + (-\frac{1}{3})^2c_bA[\tau(m_b)] + (\frac{2}{3})^2A[\tau(m_c)] + \frac{1}{3}c_{\tau}A[\tau(m_{\tau})]\right|^2}{\left|\frac{1}{4}A_1[\tau(m_W)] + (\frac{2}{3})^2A[\tau(m_t)] + (-\frac{1}{3})^2A[\tau(m_b)] + (\frac{2}{3})^2A[\tau(m_c)] + \frac{1}{3}A[\tau(m_{\tau})]\right|^2}$$

$$\frac{\Gamma_{\rm h\to\bar{b}b}}{\Gamma_{\rm h\to\bar{b}b}^{\rm SM}} \simeq |c_b|^2 \qquad \frac{\Gamma_{\rm h\to\bar{\tau}\tau}}{\Gamma_{\rm h\to\bar{\tau}\tau}^{\rm SM}} \simeq |c_\tau|^2$$

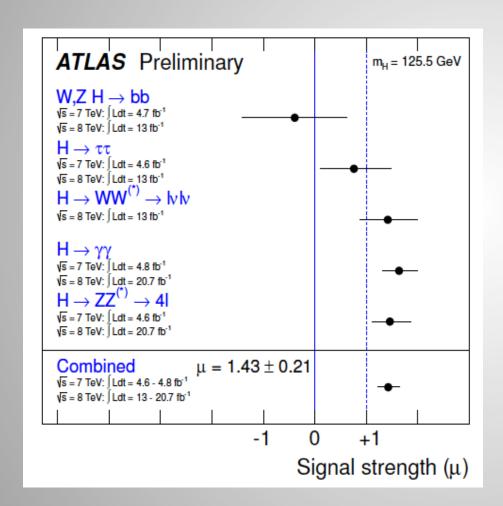
Measured signal strengths all of the form (exp. selection efficiencies):

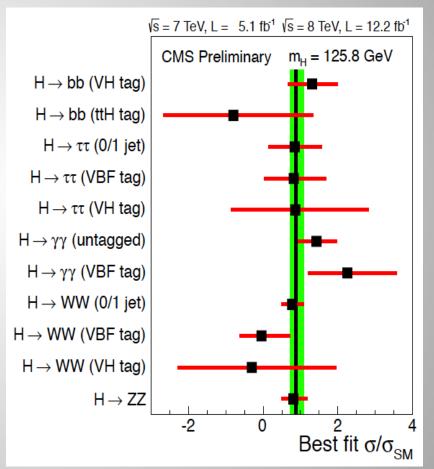
$$\mu_{s,c,i}^{p} \simeq \frac{\sigma_{\text{gg}\to h}|_{s} + \frac{\epsilon_{\text{hqq}}}{\epsilon_{\text{gg}\to h}}|_{s,c,i}^{p} \sigma_{\text{hqq}}^{\text{SM}}|_{s} + \frac{\epsilon_{\text{hV}}}{\epsilon_{\text{gg}\to h}}|_{s,c,i}^{p} \sigma_{\text{hV}}^{\text{SM}}|_{s} + \frac{\epsilon_{\text{h\bar{t}t}}}{\epsilon_{\text{gg}\to h}}|_{s,c,i}^{p} \sigma_{\text{h\bar{t}t}}^{\text{SM}}|_{s}}{\sigma_{\text{gg}\to h}^{\text{SM}}|_{s} + \frac{\epsilon_{\text{hqq}}}{\epsilon_{\text{gg}\to h}}|_{s,c,i}^{p} \sigma_{\text{hqq}}^{\text{SM}}|_{s} + \frac{\epsilon_{\text{hV}}}{\epsilon_{\text{gg}\to h}}|_{s,c,i}^{p} \sigma_{\text{hV}}^{\text{SM}}|_{s} + \frac{\epsilon_{\text{h\bar{t}t}}}{\epsilon_{\text{gg}\to h}}|_{s,c,i}^{p} \sigma_{\text{h\bar{t}t}}^{\text{SM}}|_{s}}{B_{\text{h}\to XX}^{\text{SM}}}$$

For the fit analysis, we define a function $\chi^2(c_t,c_b,c_ au,c_{gg},c_{\gamma\gamma})$:

$$\chi^{2} = \sum_{p,s,c,i} \frac{(\mu_{s,c,i}^{p} - \mu_{s,c,i}^{p}|_{\exp})^{2}}{(\delta \mu_{s,c,i}^{p})^{2}}$$

Taking the (latest) experimental results...





 $c_{
m gg}$

-3

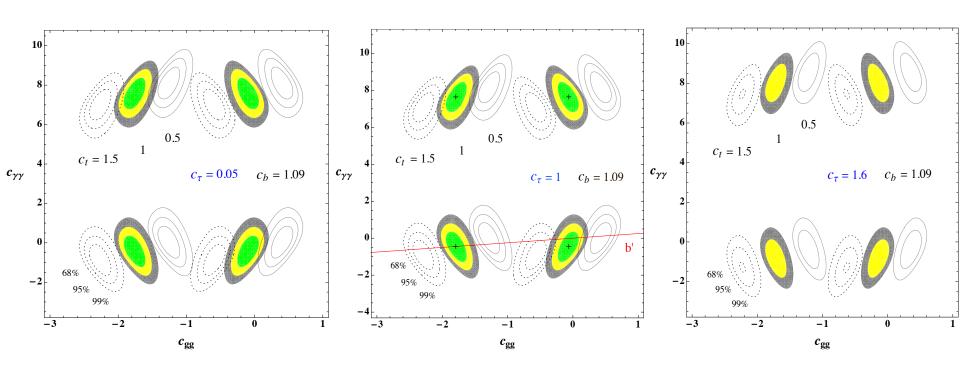
-2

 $c_{
m gg}$

« 3 conclusions for this generic fit... »

- * The SM point ($\chi^2_{\rm SM} = 57.10$) belongs to the 1 σ region
- * Determination of c_{gg} and $c_{\gamma\gamma}$ relies on the knowledge of $\mathbf{Y_t^{EF}}$ ($\mathbf{c_t}$)
- * $c_{\rm b}$ and $c_{ au}$ are significatively constrained

Varying the last parameter : $c_{ au}$



II) Constraining single Extra-Fermions

1. Single Extra-Fermion (starting approximation) => new loop-contributions:

$$c_{gg} = \frac{1}{C(t)A[\tau(m_t)]/v} \left[-C(t')\frac{Y_{t'}}{m_{t'}}A[\tau(m_{t'})] - C(q_{5/3})\frac{Y_{q_{5/3}}}{m_{q_{5/3}}}A[\tau(m_{q_{5/3}})] + \dots \right]$$

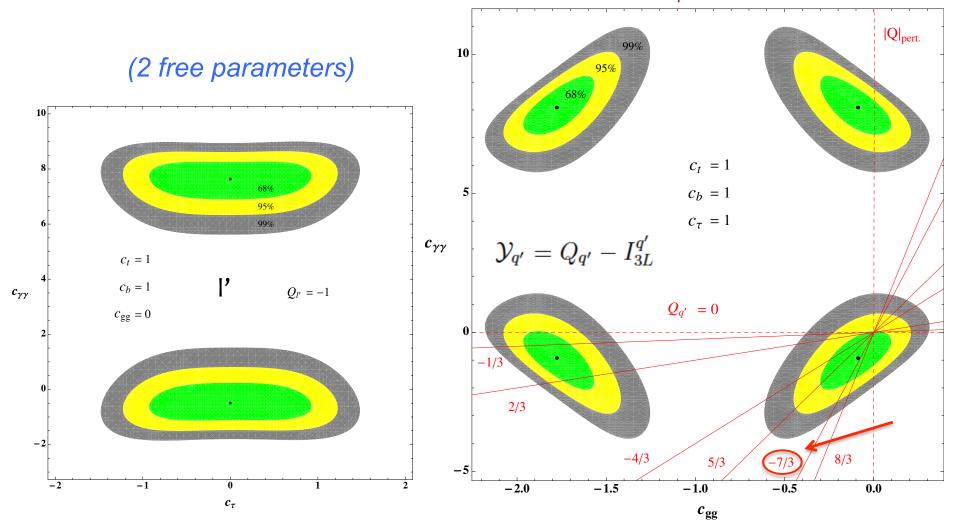
$$c_{\gamma\gamma} = \frac{1}{N_c^t Q_t^2 A[\tau(m_t)]/v} \left[-3\left(\frac{2}{3}\right)^2 \frac{Y_{t'}}{m_{t'}} A[\tau(m_{t'})] - N_c^{q_{5/3}} \left(\frac{5}{3}\right)^2 \frac{Y_{q_{5/3}}}{m_{q_{5/3}}} A[\tau(m_{q_{5/3}})] - Q_{\ell'}^2 \frac{Y_{\ell'}}{m_{\ell'}} A[\tau(m_{\ell'})] + \dots \right]$$



2. Same color repres. as the top quark
$$\Rightarrow \left| \begin{array}{c} \frac{c_{\gamma\gamma}}{c_{gg}} \right|_{q'} = \frac{Q_{q'}^2}{(2/3)^2} \\ \end{array}$$

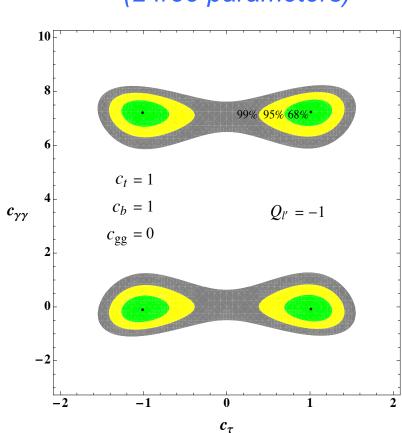
2 soft assumptions give quite strong predictions! (e.g. any b', chiral/VL)

independently of $Y_{\textbf{q}^{\prime}}$, masses, $SU(2)_{L}$ repres.

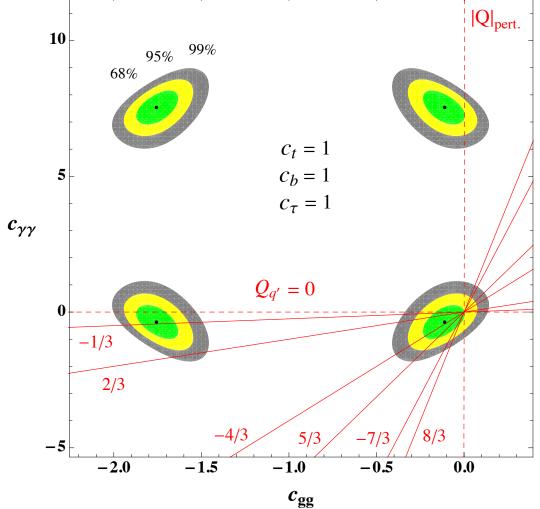


AFTER MORIOND 2013...

(2 free parameters)

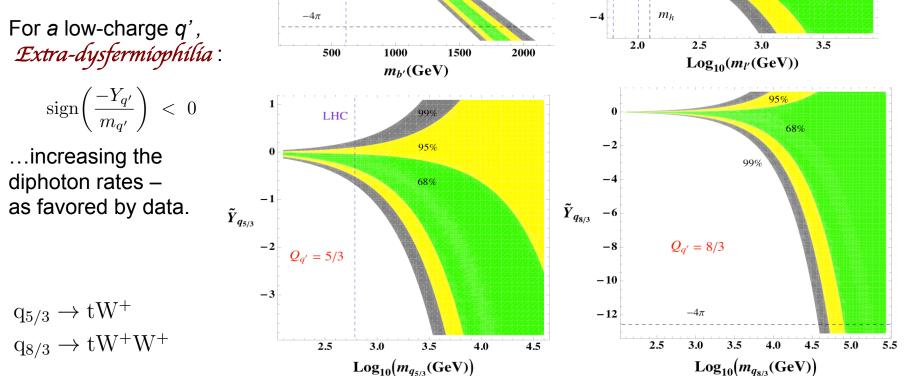


independently of $Y_{q'}$, masses, $SU(2)_L$ repres.



LHC

10



Conclusions (A)

Already *non-trivial* & generic constraints on extra-fermions from the Higgs rate fit:

- Difficult and correlated determinations of the top Yukawa coupling and parameters for the new loop-contributions to hgg, hγγ.
- Interesting theoretical predictions for single extra-quarks [same color as the top] independently of Yukawa's, masses, chiral / VL w.r.t. SU(2)_L
 - => Possible electric charge determination in case of deviation w.r.t. SM
 - => « Extra-dysfermiophilia » prediction for a low-charge extra-quark

The obtained plots can be used for any such scenarios with new fermions...

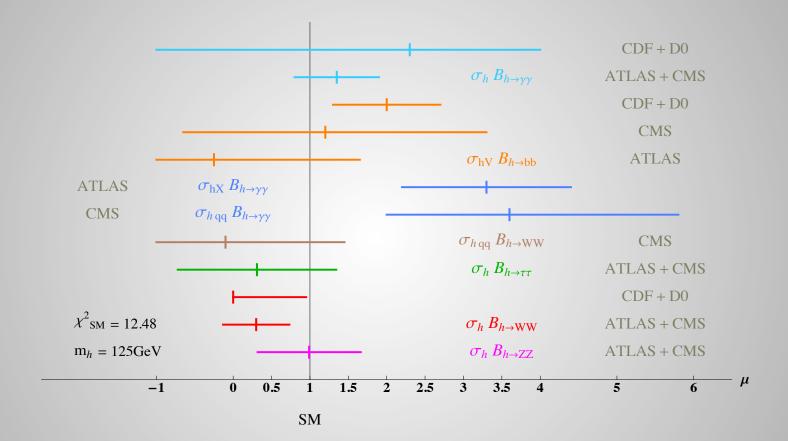
B – VL quarks to increase Higgs diphoton rates

I) Minimal realistic models of VL quarks

Situation in June 2012:

(a ~ 125 GeV Higgs boson not yet confirmed at 5 standard deviations)

Higgs rate deviations w.r.t. the SM especially in the diphoton channels..



<u>Assessment:</u> on the theoretical side, **Vector-Like quarks** arise in most Supersymmetry alternatives like

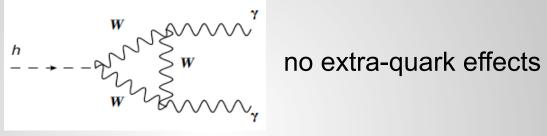
- little Higgs
- composite Higgs
- extra-dimensions
- GUT

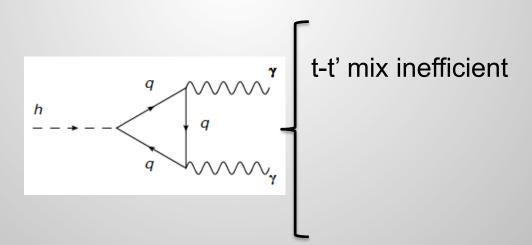
— . . .

Could VL quarks reduce the largest deviations in the Higgs rates?

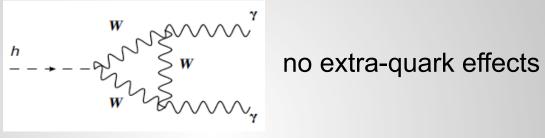


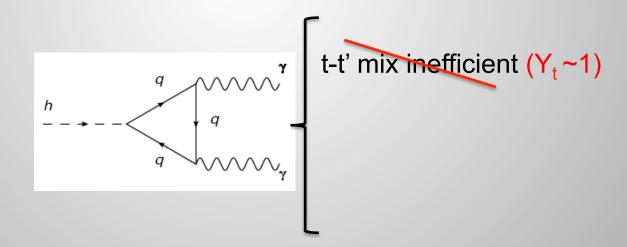
If yes, which VL quarks and to which goodness-of-fit?

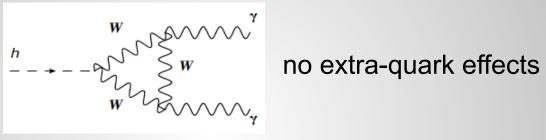


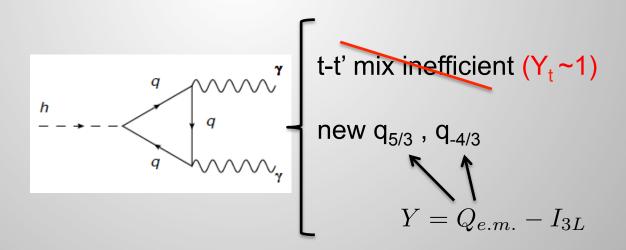


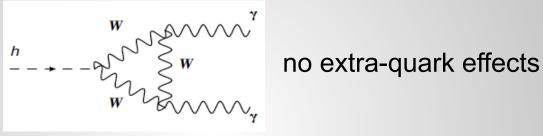
- Increase B(h $\rightarrow \gamma \gamma$) via $g_{h\gamma\gamma}$ as no g_{hVV} corrections in VBF

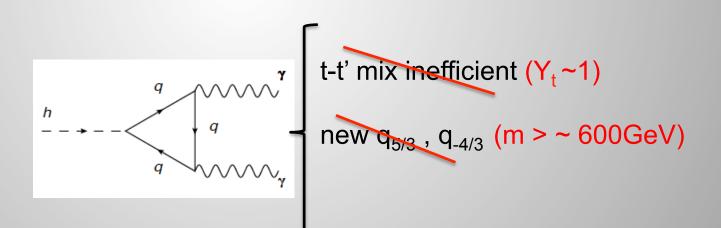


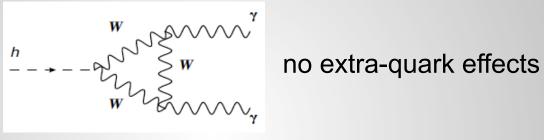


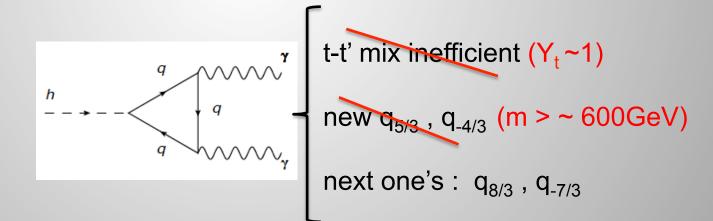












– Decrease σ_h B(h → WW)

Via production:

Interference...



[coupled to h]

The induced minimal SU(2)_L xU(1)_Y representations:

The induced minimal $SU(2)_L \times U(1)_Y$ representations:

$$\begin{array}{l} \textbf{I} \\ \textbf{Doublets} = \left\{ \begin{array}{l} (q_{8/3},q_{5/3})^t_{13/6} \;,\; (q'_{8/3})_{8/3} \;,\; (b')_{-1/3} \;,\; (b'',q_{-4/3})^t_{-5/6} \\ (q_{-4/3},q_{-7/3})^t_{-11/6} \;,\; (q'_{-7/3})_{-7/3} \;,\; (b')_{-1/3} \;,\; (b'',q_{-4/3})^t_{-5/6} \end{array} \right. \\ \\ \textbf{Triplets} = \left\{ \begin{array}{l} (q_{8/3},q_{5/3},t')^t_{5/3} \;,\; (q'_{8/3},q'_{5/3})^t_{13/6} \;,\; (b')_{-1/3} \;,\; (b'',q_{-4/3})^t_{-5/6} \\ (b',q_{-4/3},q_{-7/3})^t_{-4/3} \;,\; (q'_{-4/3},q'_{-7/3})^t_{-11/6} \;,\; (b'')_{-1/3} \;,\; (t',b''')^t_{1/6} \end{array} \right. \\ \\ \textbf{II} \end{array}$$

$$(q_{8/3},q_{5/3},t')_{5/3}^t \;,\; (q_{8/3}',q_{5/3}')_{13/6}^t \;,\; (q_{5/3}'',t'')_{7/6}^t \;,\; (b')_{-1/3} \;,\; (t''',b'')_{1/6}^t \; \text{or} \; (b'',q_{-4/3})_{-5/6}^t$$

$$\text{predicted phenomenology} \;:\; q_{8/3}^1 \to q_{5/3}^{1(\star)}W^+ \to \; t_1W^+W^+$$

III

main decay mimics b': $q_{-7/3}^1 o q_{-4/3}^{1(\star)} W^- o b_1 W^- W^-$

 $(b', q_{-4/3}, q_{-7/3})_{-4/3}^t$, $(q'_{-4/3}, q'_{-7/3})_{-11/6}^t$, $(b'', q''_{-4/3})_{-5/6}^t$, $(b''')_{-1/3}$ and/or $(t', b'''')_{1/6}^t$

An explicit example: the Model II Lagrangian

$$\mathcal{L}_{\text{II}} = Y \overline{\begin{pmatrix} t \\ b \end{pmatrix}}_{L} H^{\dagger} t_{R}^{c} + Y' \overline{\begin{pmatrix} q_{5/3}' \\ t'' \end{pmatrix}}_{L} H t_{R}^{c} + Y_{8/3} \overline{\begin{pmatrix} q_{8/3}' \\ q_{5/3}' \end{pmatrix}}_{L/R} H \overline{\begin{pmatrix} q_{8/3} \\ q_{5/3} \\ t' \end{pmatrix}}_{R/L} + Y_{5/3} \overline{\begin{pmatrix} q_{5/3}' \\ t'' \end{pmatrix}}_{L/R} H^{\dagger} \overline{\begin{pmatrix} q_{8/3} \\ q_{5/3} \\ t' \end{pmatrix}}_{R/L}$$

$$+ Y_{b} \overline{\begin{pmatrix} t \\ b \end{pmatrix}}_{L} H b_{R}^{c} + Y_{b}' \overline{\begin{pmatrix} t \\ b \end{pmatrix}}_{L} H b_{R}' + Y_{b}'' \overline{\begin{pmatrix} b'' \\ q_{-4/3} \end{pmatrix}}_{L} H^{\dagger} b_{R}^{c} + Y_{-1/3} \overline{\begin{pmatrix} b'' \\ q_{-4/3} \end{pmatrix}}_{L/R} H^{\dagger} b_{R/L}' + m \ \bar{b}_{L}' b_{R}^{c} + m' \ \bar{b}_{L}' b_{R}'$$

$$+ m_{-4/3} \overline{\begin{pmatrix} b'' \\ q_{-4/3} \end{pmatrix}}_{L} \binom{b'' \\ q_{-4/3} \end{pmatrix}}_{L} \binom{b'' \\ q_{-4/3} \end{pmatrix}_{R} + m_{5/3} \overline{\begin{pmatrix} q_{5/3}' \\ t'' \end{pmatrix}}_{L} \binom{q_{5/3}' \\ t'' \end{pmatrix}}_{L} \binom{q_{8/3}' \\ t'' \end{pmatrix}_{R} + m_{8/3} \overline{\begin{pmatrix} q_{8/3} \\ q_{5/3} \\ t' \end{pmatrix}}_{R} + m_{8/3} \overline{\begin{pmatrix} q_{8/3} \\ q_{5/3} \\ t' \end{pmatrix}}_{L} + H.c.$$

Similar quark configurations as in warped/composite frameworks...

II

$$(q_{8/3}, q_{5/3}, t')_{5/3}^t$$
, $(q'_{8/3}, q'_{5/3})_{13/6}^t$, $(q''_{5/3}, t'')_{7/6}^t$, $(b')_{-1/3}$, $(t''', b'')_{1/6}^t$ or $(b'', q_{-4/3})_{-5/6}^t$

$$[T3] \qquad q^{1cp} = (2,3)_{7/6} = \begin{bmatrix} Y_1^{cp'} & X_1^{cp''} & U_1^{cp} \\ X_1^{cp'} & U_1^{cp'} & D_1^{cp} \end{bmatrix} ,$$

$$\mathbf{SU(2)_l} \, \mathbf{xSU(2)_R} \mathbf{xU(1)} \qquad \qquad t^{cp} = (1,4)_{7/6} = \begin{bmatrix} Y_t^{cp'} & X_t^{cp'} & U_t^{cp} & D_t^{cp'} \end{bmatrix} ,$$

with Y' being exotic fermions with Q = 8/3.

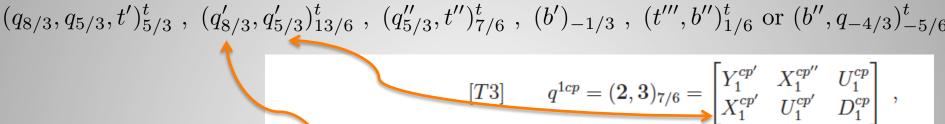
FROM *L. Da Rold*, arXiv:1009.2392

Similar quark configurations as in warped/composite frameworks...

II

 $SU(2)_{l} xSU(2)_{R} xU(1)$

$$(q_{8/3}, q_{5/3}, t')_{5/3}^t, (q'_{8/3}, q'_{5/3})_{13/6}^t, (q''_{5/3}, t'')_{7/6}^t, (b')_{-1/3}, (t''', b'')_{1/6}^t \text{ or } (b'', q_{-4/3})_{-5/6}^t$$



with Y' being exotic fermions with Q = 8/3.

FROM *L. Da Rold*, arXiv:1009.2392

 $t^{cp} = (1,4)_{7/6} = \begin{bmatrix} Y_t^{cp'} & X_t^{cp'} & U_t^{cp} & D_t^{cp'} \end{bmatrix}$,

II

$$(q_{8/3}, q_{5/3}, t')_{5/3}^t$$
, $(q'_{8/3}, q'_{5/3})_{13/6}^t$, $(q''_{5/3}, t'')_{7/6}^t$, $(b')_{-1/3}$, $(t''', b'')_{1/6}^t$ or $(b'', q_{-4/3})_{-5/6}^t$

 $SU(2)_L xSU(2)_R xU(1)$

$$[T3] \qquad q^{1cp} = (\mathbf{2},\mathbf{3})_{7/6} = \begin{bmatrix} Y_1^{cp'} & X_1^{cp''} & U_1^{cp} \\ X_1^{cp'} & U_1^{cp'} & D_1^{cp} \end{bmatrix} \;,$$

$$t^{cp} = (\mathbf{1},\mathbf{4})_{7/6} = \begin{bmatrix} Y_t^{cp'} & X_t^{cp'} & U_t^{cp} & D_t^{cp'} \end{bmatrix} \;,$$
 with Y' being exotic fermions with $Q = 8/3$.

FROM L. Da Rold, arXiv:1009.2392

III

$$(b', q_{-4/3}, q_{-7/3})_{-4/3}^t$$
, $(q'_{-4/3}, q'_{-7/3})_{-11/6}^t$, $(b'', q''_{-4/3})_{-5/6}^t$, $(b''')_{-1/3}$ and/or $(t', b'''')_{1/6}^t$

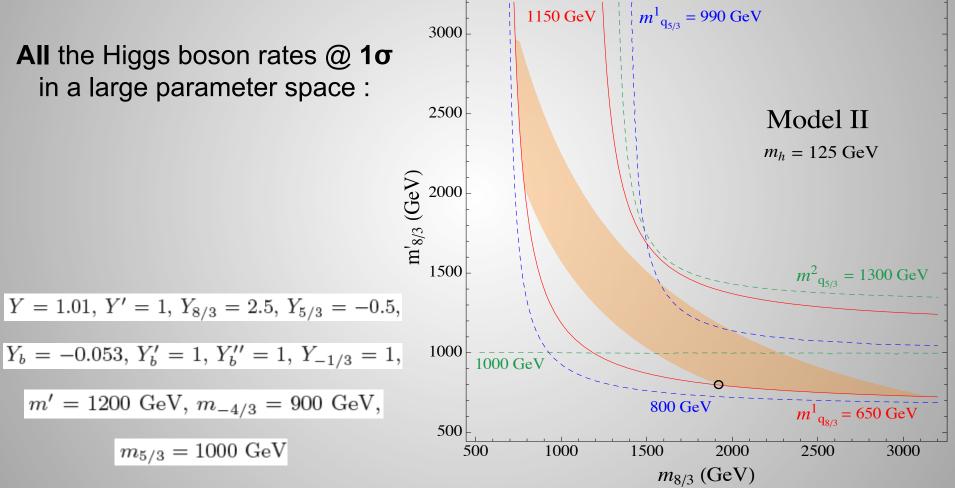
$$\{Q_{2L}\} \equiv (\mathbf{2},\mathbf{3})_{-5/6} = \begin{pmatrix} t_{2L} & b_L' & q_{(-4/3)L}' \\ b_{2L} & q_{(-4/3)L}' & q_{(-7/3)L}' \end{pmatrix} \quad \{b_R^c\} \equiv (\mathbf{3},\mathbf{2})_{-5/6} = \begin{pmatrix} t_R^{c\prime\prime\prime} & b_R^{c\prime\prime\prime\prime} \\ b_R^c & q_{(-4/3)R}^{c\prime\prime\prime} \\ q_{(-4/3)R}^{c\prime\prime\prime} & q_{(-7/3)R}^{c\prime\prime\prime} \end{pmatrix}$$

FROM C.Bouchart et al., arXiv:0807.4461

II) Numerical results for the Higgs fits

All the Higgs boson rates @ 1σ in a large parameter space:

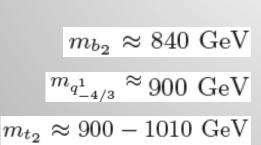
 $m_{5/3} = 1000 \text{ GeV}$

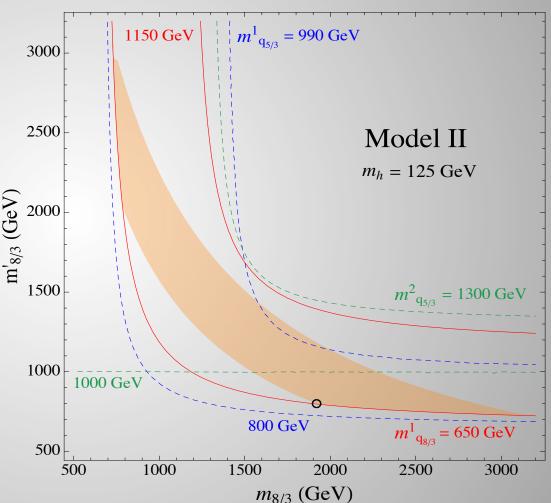


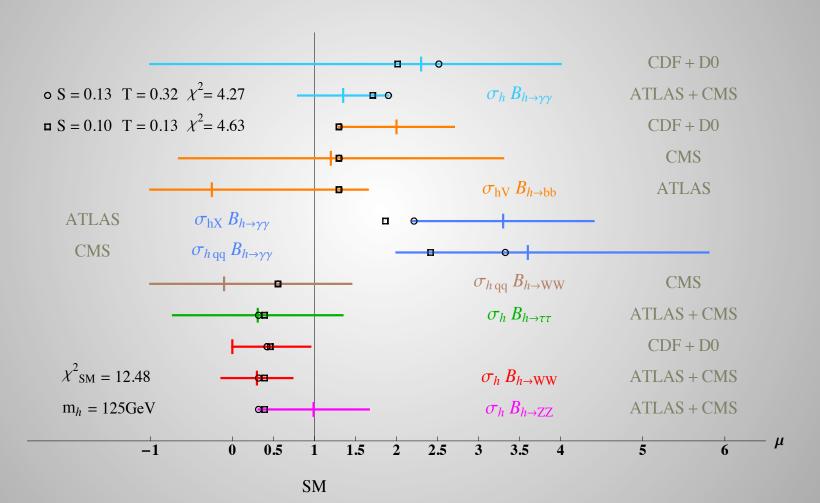
II) Numerical results for the Higgs fits

All the Higgs boson rates @ 1σ in a large parameter space :

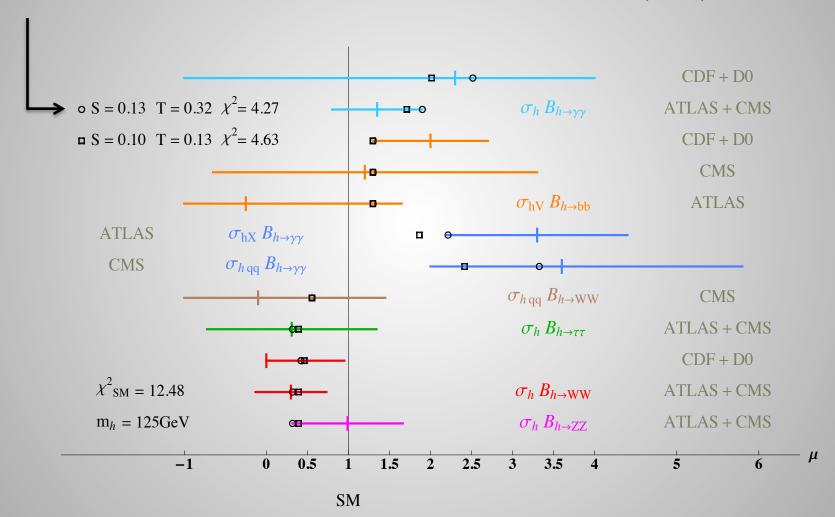
$$m_{b_2} > 611 \text{ GeV} \quad (B_{b_2 \to t_1 W} = 1)$$
 $m_{q_{5/3}^1} > 611 \text{ GeV} \quad (B_{q_{5/3}^1 \to t_1 W} \simeq 1)$
 $m_{t_2} > 560 \text{ GeV} \quad (B_{t_2 \to b_1 W} = 1)$
 $m_{q_{-4/3}^1} > 560 \text{ GeV} \quad (B_{q_{-4/3}^1 \to b_1 W} \simeq 1)$







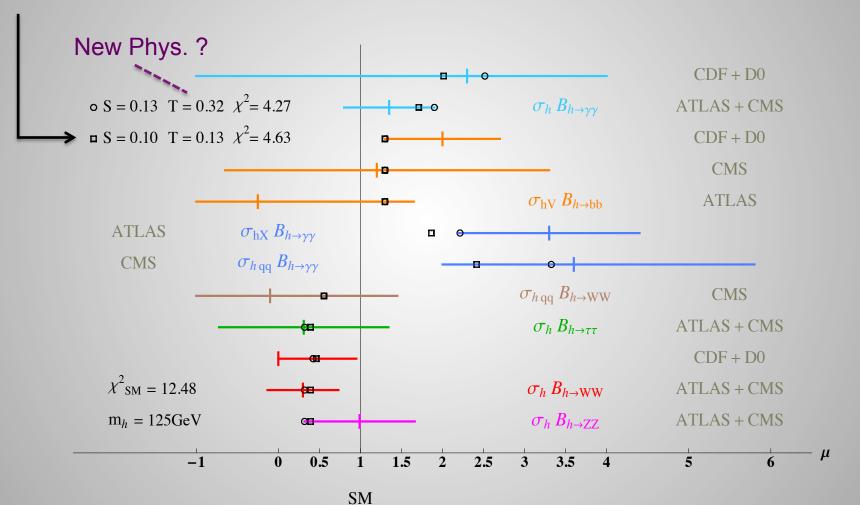
Model also reasonable w.r.t. indirect EW Precision Tests (LEP):



Optimizing the oblique parameters:

$$\chi^2_{SM}/8=1.6$$

$$\chi^2_{SM}/8=1.6$$
 $\chi^2_{VL}/(8-3)=0.9$



Other scenarii for improving the Higgs rate fits at that time...

- Little Higgs non-trivially constrained D.Carmi et al., arXiv:1202.3144
- Minimal Composite Higgs Models constrained

 J.Ellis et al., arXiv:1204.0464

 A.Azatov et al., arXiv:1202.3415, arXiv:1204.4817
- Type II see-saw : welcome H⁺⁺ exchanged in the hγγ loop

A. Arhrib et al., arXiv:1112.5453

- Extra fermions in exotic SU(3)_c multiplets can help (effective coupling level)

 V.Barger et al., arXiv:1203.3456
- Higgs sector breaking the custodial symmetry accommodates B_{ZZ} versus B_{WW} *M.Farina et al.*, arXiv:1205.0011
- Fermiophobic Higgs: increase B(h → γγ) but fermion masses from TC?

 E. Gabrielli et al., arXiv:1202.1796
- SUSY: problematic correlation between the WW and γγ channels *P.P.Giardino et al.*, arXiv:1203.4254
- 4th generation, radion, dilaton: difficulties to enhance the diphoton channels arXiv:1107.1490, arXiv:1112.4146

Conclusions (B)

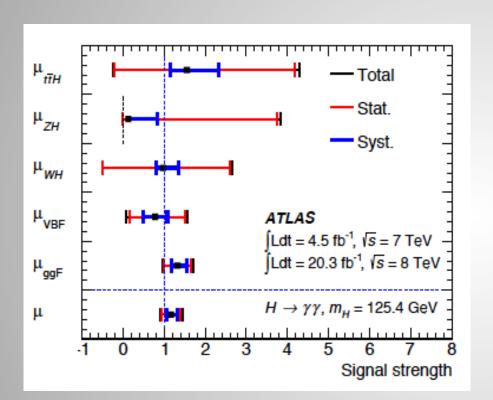
We've presented the list of minimal field contents of VL quarks allowing to :

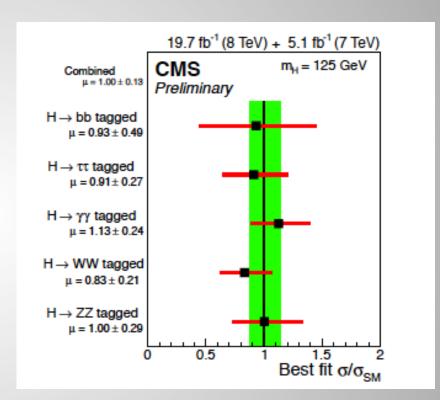
- induce a large enhancement of the Higgs diphoton channels
- with an acceptably small tension (between EWPT and the Higgs fit).



Therefore, VL quarks could certainly induce increases of the Higgs diphoton rates in case of future (smaller) excesses in data w.r.t. SM.

Back up





(last exp. results -08/2014)

$$\epsilon_t c_t = \frac{\operatorname{sign}(m_t)}{\operatorname{sign}(m_t^{\mathrm{EF}})} c_t = \frac{\operatorname{sign}(m_t)}{\operatorname{sign}(m_t^{\mathrm{EF}})} \frac{\operatorname{sign}(-Y_t^{\mathrm{EF}})}{\operatorname{sign}(-Y_t)} |c_t| = \frac{\operatorname{sign}(-Y_t^{\mathrm{EF}})}{\operatorname{sign}(m_t^{\mathrm{EF}})} |c_t| = \operatorname{sign}\left(\frac{-Y_t^{\mathrm{EF}}}{m_t^{\mathrm{EF}}}\right) \left|\frac{Y_t^{\mathrm{EF}}}{Y_t}\right|$$